2-D RC Constitutive Relationship Subroutine "RCFER2002"



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- Important Reference Program :
 - RCFER, Coded by J.J. JIANG
 - ADINA81 & ADINA84, Coded by Bathe
 - NONSAP, Coded by Bathe
 - RCNFEA, Coded by C.C. LI



Important Reference Document and Program

- Important Reference Document
 - "Nonlinear FEA for RC Structure", JIANG Jianjing
 - "Principle of Reinforced Concrete", GUO Zhenhai
 - "FEA of RC and Ultimate analysis for Plate and Shell", J.M. SHEN, C.Z. WANG, J.J. JIANG
 - "FEA for Reinforced Concrete", Q. L. KANG
 - "Finite Element Analysis of Reinforced Concrete", Bazant
 - "Finite Element Method for Nonlinear Problems", Bathe



Basic Information of RCFER2002

- Fortran 77+Fortran 90
- Double Precision
- About 3500 Lines
- About 90,000 Characters
- More than 60 subroutine



Application of RCFER2002

- Courses Education
 - "RC Structure" (for Undergraduate Students)
 - "FEA for RC" (for Graduate Students)
- Research
 - RCPEFG (Code by LU)
 - RCFER (Code by JIANG)
 - RC Element analysis
 - Adjustment for RC Constitutive Relationship



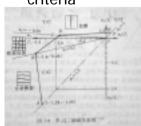
Basic Request for RCFER2002

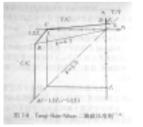
- Can simulate the stress and deformation of concrete under planar compression, tension, shear and combined load case
- Can simulate the cracking and cracking surface effect of concrete
- Can be embedded into Msc.MARC with user subroutine function of Msc.MARC
- Can simulate the behavior of concrete under cycle load conditions

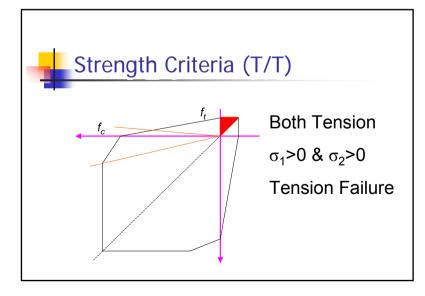


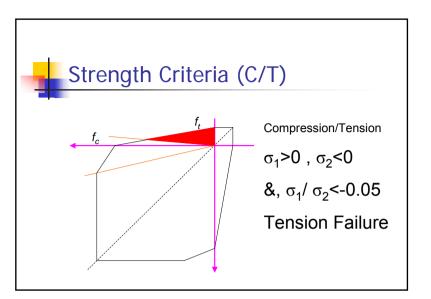
Strength Criteria

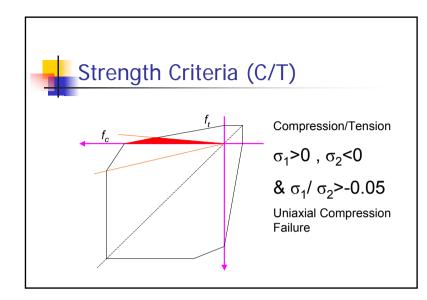
 Using the simplified planar strength criteria based on Li-Guo and Tasuji-Slate-Nilson criteria

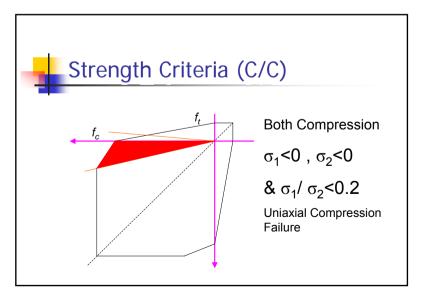


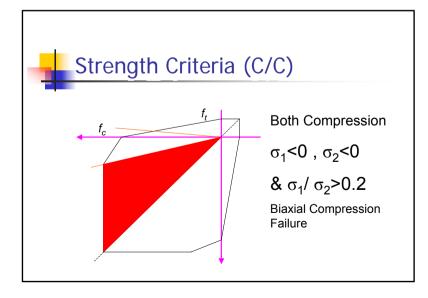


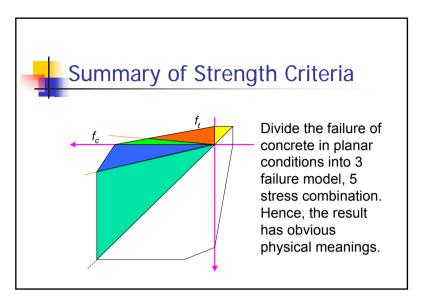


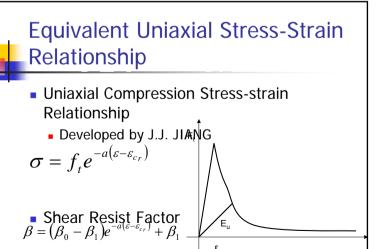










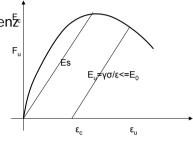




Equivalent Uniaxial Stress-Strain Relationship

- Uniaxial Compression Stress-strain Relationship
 - Developed by Saen ₹

$$E_{t} = \frac{\left[1 - \left(\frac{\varepsilon}{\varepsilon_{f}}\right)^{2}\right] E_{0}}{\left[1 + \left(\frac{E_{0}}{E_{s}} - 2\right)\left(\frac{\varepsilon}{\varepsilon_{f}}\right) + \left(\frac{\varepsilon}{\varepsilon_{f}}\right)^{2}\right]^{2}}$$





Loading/Unloading Relationship

- Loading/Unloading is judged in the stress space when the concrete is inside the failure surface
- Loading/Unloading is judged in the strain space when the concrete is outside the failure surface
- 6 nonlinear index is used Evv(1~6)
 - If Evv(I)<=Evmax(I), Unloading/Reloading, Unloading Stiffness is used*
 - If Evv(I)> Evmax(I), Loading along the envelop curve, Current loading stiffness is used.



Nonlinear Index

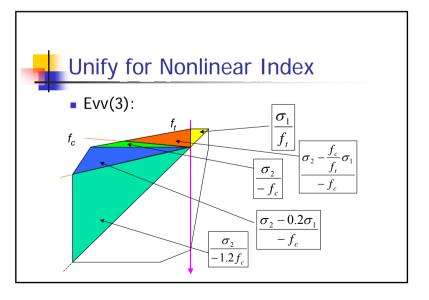
- Evv(1): Nonlinear index for biaxial failure
- Evv(2): Nonlinear index for uniaxial failure
- Evv(3): Nonlinear index when no failure happens
- Evv(4): Nonlinear index for crack, only one crack
- Evv(5): Nonlinear index for the 1st crack, two crack conditions
- Evv(6): Nonlinear index for the 2nd crack, two crack conditions



Unify for Nonlinear Index

Evv(1): $(1.2\varepsilon_c + d\varepsilon_2^*)/\varepsilon_c$ $d\varepsilon_2^* = (d\varepsilon_2 - 0.2d\varepsilon_1)/0.96$

• Evv(2)
$$(\varepsilon_c + d\varepsilon_2)/\varepsilon_c$$





Unify for Nonlinear Index

• Evv(4): $1 + d\varepsilon_1^* E_0 / f_t$

• Evv(5)
$$1 + d\varepsilon_1^* E_0 / f_t$$

• Evv(6) $1 + d\varepsilon_2^* E_0 / f_t$



Crack Opening and Closing

- Once the stress in crack direction σ<0, we consider the crack is closed
- Once the crack has closed, the crack can not bearing any tensional force=>CrRelease(i)=1



Independent Variable List (1)

- SIG(3),EPS(3),dEPS(3),dSIG(3): ${}^{t}\sigma_{ij}$, ${}^{t}\epsilon_{ij}$, $d\sigma_{ij}$, $d\epsilon_{ij}$
- Stress(3),Strain(3) t+dtσ_{ii}, t+dtε_{ii}
- E0,MU0,Fc,Ft,SIGMAU,EPSC,EPSU
 - E, μ , f_c , f_t , σ_u , ϵ_c , ϵ_u
- N(3,3), T(3,3) Coordination transform matrix
- D(3,3) constitutive matrix
- SIGP(3), EPSP(3) ^tσ_i, ^tε_i principle stress/strain



Independent Variable List (2)

- dSIGP(3), dEPSP(3) dσ_i, dε_i Principle stress/strain increment
- dEPSP1(3), equivalent principle strain increment
- Evv(6), Evmax(6) nonlinear index
- Epstate, AddLoad load condition index
- Crack =-2 Biaxial Compression Failure, -1 Uniaxial Tension Failure, 0 No Failure, 1 One Crack 2 Two Crack, 100 Entire Failure



Independent Variable List (3)

- ANGLE Cracking Angle
- ANG, Alpha , Principle stress angle, principle stress ratio
- A1,A2,Beta0,Beta1, cracking surface parameter
- Inc, Ncycle, increment, sub-increment
- ITEM, State index



Subroutine List (1)

- Con GetD(Lxz Con): General Control Subroutine
- Con_Crack1(C) when Crack==-2 biaxial compression failure
- Con_Crack2(C) when Crack==-1 uniaxial compression failure
- Con Crack3(C) when Crack==0 no failure
- Con Crack4(C) when Crack==1 one crack
- Con Crack5(C) when Crack==2 two crack
- Con Crack100(C) when Crack==100 entire failure



Subroutine List (3)

- Con_N1Crack01(C) uniaxial compression failure, under tensile stress, entire failure
- Con_N1Crack02(C) uniaxial compression failure, loading
- Con_N1UnLoad(C) uniaxial compression failure, Unloading



Subroutine List (2)

- Con_N2Crack01(C) biaxial compression failure, under tensile stress, entire failure
- Con_N2Crack02(C) biaxial compression failure, loading
- Con_N2UnLoad(C) biaxial compression failure, Unloading



Subroutine List (4)

- Con_NoCrack01(C) no crack, C/C, >0.2 ,Loading/Loading
- Con_NoCrack02(C) no crack, C/C, <0.2 ,Loading/Loading
- Con_NoCrack03(C) no crack, C/T, <-0.05 ,Loading/Loading
- Con_NoCrack04(C) no crack, C/T, >-0.05, Loading/Loading
- Con_NoCrack05(C) no crack, T/T, Loading/Loading



Subroutine List (5)

- Con_NoUnLoad01(C) no crack,
 C/C, >0.2 ,UnLoading/UnLoading
- Con_NoUnLoad02(C) no crack, C/C, <0.2 , UnLoading/UnLoading Con_NoUnLoad03(C) no crack, C/T, <-0.05 , UnLoading/UnLoading
- Con_NoUnLoad04(C) no crack, C/T, >-0.05, UnLoading/UnLoading
- Con_NoUnLoad05(C) no crack, T/T, UnLoading/UnLoading



Subroutine List (7)

- One crack, opened, if there is crush in the vertical direction, concrete is entire failed, if there is crack in the vertical direction, change to 2 cracks condition
- Con_P1Crack06(C): 1 Crack, Open, T/C, L/L(L: Loading, U: UnLoading)
- Con_P1Crack07(C): 1 Crack, Open, T/C, L/U
- Con_P1Crack08(C): 1 Crack, Open, T/C, U/L
- Con_P1Crack09(C): 1 Crack, Open, T/C, U/U
- Con_P1Crack10(C): 1 Crack, Open, T/T, L/L
- Con_P1Crack11(C): 1 Crack, Open, T/T, L/U
- Con_P1Crack12(C): 1 Crack, Open, T/T, U/L
- Con_P1Crack13(C): 1 Crack, Open, T/T, U/U



Subroutine List (6)

- One crack, closed, just like no crack
- Con_P1Crack01(C) no crack, C/C, >0.2 ,Loading/Loading
- Con_P1Crack02(C) no crack, C/C, <0.2 ,Loading/Loading
- Con_P1Crack03(C) no crack, C/T, <-0.05 ,Loading/Loading
- Con P1Crack04(C) no crack, C/T, >-0.05, Loading/Loading
- Con_P1Crack05(C) no crack, T/T, Loading/Loading
- Con P1UnLoad01(C) no crack, C/C, >0.2 ,UnLoading/UnLoading
- Con_P1UnLoad02(C) no crack, C/C,
 Con_P1UnLoad03(C) no crack, C/T,
 Con_P1UnLoad03(C) no crack, C/T,
- Con_P1UnLoad04(C) no crack, C/T, >-0.05, UnLoading/UnLoading
- Con_P1UnLoad05(C) no crack, T/T, UnLoading/UnLoading



Subroutine List (8)

- Both cracks are closed treated as no crack condtions.
- Con_P2Crack01(C): 2 Cracks, Both Closed, C/C, >0.2, L/L
- Con_P2Crack02(C): 2 Cracks, Both Closed, C/C, <0.2, L/L
- Con_P2Crack03(C): 2 Cracks, Both Closed, C/C, <-0.05,
- Con_P2Crack04(C): 2 Cracks, Both Closed, C/C, >-0.05, L/L
- Con_P2Crack05(C): 2 Cracks, Both Closed, T/T, L/L



Subroutine List (9)

- 1 of 2 Cracks is closed, treat as 1 crack conditions
- Con_P2Crack06(C) 2 cracks, 1 close, 2 open, C, T, U,
 U
- Con_P2Crack07(C) 2 cracks, 1 close, 2 open, C, T, U,
- Con_P2Crack08(C) 2 cracks, 1 close, 2 open, C, T, L,
 U
- Con_P2Crack09(C) 2 cracks, 1 close, 2 open, C, T, L,
- Con_P2Crack10(C) 2 cracks, 1 open, 2 close, C, T, U,
 U



Connection with Msc.Marc

- Use the user subroutine for Hyperelastic material of Msc.Marc
- SUBROUTINE HYPELA (D,G,E,DE,S,TEMP,DTEMP,NGENS,N,NN,KC, MATS,NDI,NSHEAR)
- Post Process: Crack, Load conditions
- Use the user subroutine of PLOTV



函数列表(10)

- Both Cracks are open, it is assumed that the concrete can go on bearing shear force, that is $β = min(β_{crack1}, β_{crack2})$
- Con_P2Crack14(C) 2 Cracks, Both opend, T, T, L, L
- Con_P2Crack15(C) 2 Cracks, Both opend, T, T, U, L
- Con P2Crack16(C) 2 Cracks, Both opend, T, T, L, U
- Con P2Crack17(C) 2 Cracks, Both opend, T, T, U, U



Example 1

- Balance reinforced cantilever beam
- Compare of Msc.Marc and RCFER2002 (Red: Msc.Marc, Blue: RCFER2002)

